## MATHEMATICS 221 L05 FALL 2008 MIDTERM EXAMINATION Friday, October 31, 2008 Duration: 50 minutes

I.D.#		

I agree that this paper may be placed at the front of the classroom for pick-up.

Please initial either  $\mathbf{YES}$ 

NO

or

NO CALCULATORS ALLOWED ANSWER ALL QUESTIONS SHOW ALL WORK

## LAST NAME\_

## [5] **1**. Solve the system:

[5] **2.** Let  $A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$ . Express A as a product of elementary matrices.

## LAST NAME\_\_\_\_\_

[10] **3.** Given that  $A = \begin{bmatrix} -2 & -1 & -4 \\ 3 & 1 & 6 \\ 2 & 2 & 6 \end{bmatrix}$ (a) Find *adjA*.

(b) Compute A.djA.

(c) Find  $\det A$ .

[5]

[5] x + y + z = 15. Consider the system  $\begin{array}{rcl} x + y + z &= 1 \\ x - y + z &= -1 \end{array}$ . Use Crammer's rule to find the value  $\begin{array}{rcl} x + 2y &+ 4z &= 1 \end{array}$  of y.

4

[5]

6. A fox hunts in three territories A, B and C. He never hunts in the same territory on two consecutive days. If he hunts in A then he hunts in C the next day. If he hunts in B or C then he is twice likely to hunt in A the next day as in the other territory.(a) Find the transition matrix P.

(b) If he hunts in A on Monday, what is the probability that he hunts in B the following Thursday?

[5] 7. Let A denotes a square matrix. Show that the statement: "If adjA = 0 then A = 0." is FALSE.