

p36. prob 11 Solve $(2xy-3)dx + (x^2+4y)dy = 0, y(1)=2.$

15 " $\frac{3-y}{x^2} dx + \left(\frac{y^2-2x}{xy^2}\right) dy = 0, y(-1)=2.$

37 " 18(a) Find the constant A such that the equation is exact and solve it: $(Ax^2y+2y^2)dx + (x^3+4xy)dy=0.$

p37.#24 Show that $\frac{1}{x^2+y^2}$ is an integrating factor for the eq.

$$[y + x(x^2+y^2)^2] dx + [y(x^2+y^2)^2 - x] dy = 0$$

and solve it.

p46#6 Solve $(e^v+1)\cos u du + e^v(\sin u+1)dv = 0$

#9 " $(2xy+3y^2)dx - (2xy+x^2)dy = 0$

#11 " $(x \tan \frac{y}{x} + y)dx - xdy = 0$

p47#22 Solve by 2 methods (exact and homogeneous equation) the equation $(x+2y)dx + (2x-y)dy = 0$

p56#15 $\frac{dy}{dx} - \frac{y}{x} = -\frac{y^2}{x}$ #16 $x \frac{dy}{dx} + y = -2x^6 y^4$

#19 $x \frac{dy}{dx} - 2y = 2x^4, y(2)=8$ #24 $\frac{dx}{dt} - x = \sin 2t, x(0)=0.$

p59#40 Solve Riccati Eq:

$$\frac{dy}{dx} = -y^2 + xy + 1, \text{ given one solution } f(x) = x.$$

p60#19 Solve: $4xy \frac{dy}{dx} = y^2 + 1, y(2)=1$

p78#10 Find the orthogonal trajectories of $x^2 - y^2 = cx^3$ and sketch the curves.

#11 Find the orthogonal trajectories of the family of ellipses having center at $(0,0)$, a focus at $(c,0)$ and semimajor axis of length $2c$.

p80#3.

A ball weighing $\frac{3}{4}$ lb is thrown vertically upward from a point 6 ft above the surface of the earth with an initial velocity of 20 ft/sec. As it rises it is acted upon by air resistance that is numerically equal to $\frac{v}{4}$ (in pounds), where v is the velocity (in feet per second). How high will the ball rise?